# ESc 101: Fundamentals of Computing 

## Lecture 31

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## Splitting Code into Files

- When the code is large, it should be split into files.
- Each file typically containing a set of related functions.
- All the constants and functions prototypes should be declared in a header file which is included in all code files.
- The main() function should be put in a separate file: this allows the other functions to be used by different programs.


## Example

We can use the matrix functions to read a matrix and invert it:

```
#include "matrix.h"
int main()
{
float A[N] [N];
float invA[N] [N];
float det;
int n;
read_matrix(A, &n);
det = inv_matrix(A, invA, n);
```


## Example

```
    if (is_zero(det))
    printf("Matrix not invertible\n");
    else {
    printf("Determinant = %5.2f\n", det);
    output_matrix("Inverse of A =\n", invA, n);
    }
```

\}

## ExAmples

With a little more coding, we can also use it to:

- Check linear independence of vectors
- Solve a system of linear equations
- Given a linear subspace, find an orthogonal basis for it.
- And many other matrix operations.


## Compiling Using a File

- With lots of files to compile, it is easier to put the compilation command in a file and execute the file.
- For example, we put the following in a file: gcc -o matrix matrix-main.c matrix-inv.c matrix-ops.c matrix-det.c matrix-io.c -std=c99
- To compile, we can now execute the file using: sh <filename>


## Fibonacci Numbers

## DEFINITION

Fibonacci numbers are defined as follows: $F_{0}=1=F_{1}$, and $F_{n}=F_{n-1}+F_{n-2}$ for $n>1$.

We can write a function to compute Fibonacci numbers in two ways.

## Method I: Using Loops

```
int Fib_loop(int n)
{
    int F[N]; // stores Fibonacci sequence
    F[0] = 1; // first two values
    F[1] = 1;
    for (int m = 2; m <= n; m++)
        F[m] = F[m-1] + F[m-2];
    return F[n];
}
```


## Method II: Using Recursion

```
int Fib_rec(int n)
{
    if ((n == 0) || (n == 1))
        return 1;
    return Fib_rec(n-1) + Fib_rec(n-2);
}
```


## Why is Method I Much Faster?

- The recursive function computes a value multiple times.
- For example, both Fib_rec (n) and Fib_rec (n-1) compute Fib_rec ( $\mathrm{n}-2$ ).
- This is wasteful!


## Improving Method II

```
int F[N]; // stores Fibonacci sequence
int m = 1; // value until which the sequence is computed
int Fib_rec_imp(int n)
{
if ((n == 0) || (n == 1)) {
    F[n] = 1; // set first two numbers
    return 1;
}
if (n > m) { // number not already computed
    F[n] = Fib_rec_imp(n-1) + Fib_rec_imp(n-2); // compute
    m = n; // reset m
}
```

return $\mathrm{F}[\mathrm{n}]$; // return the number

